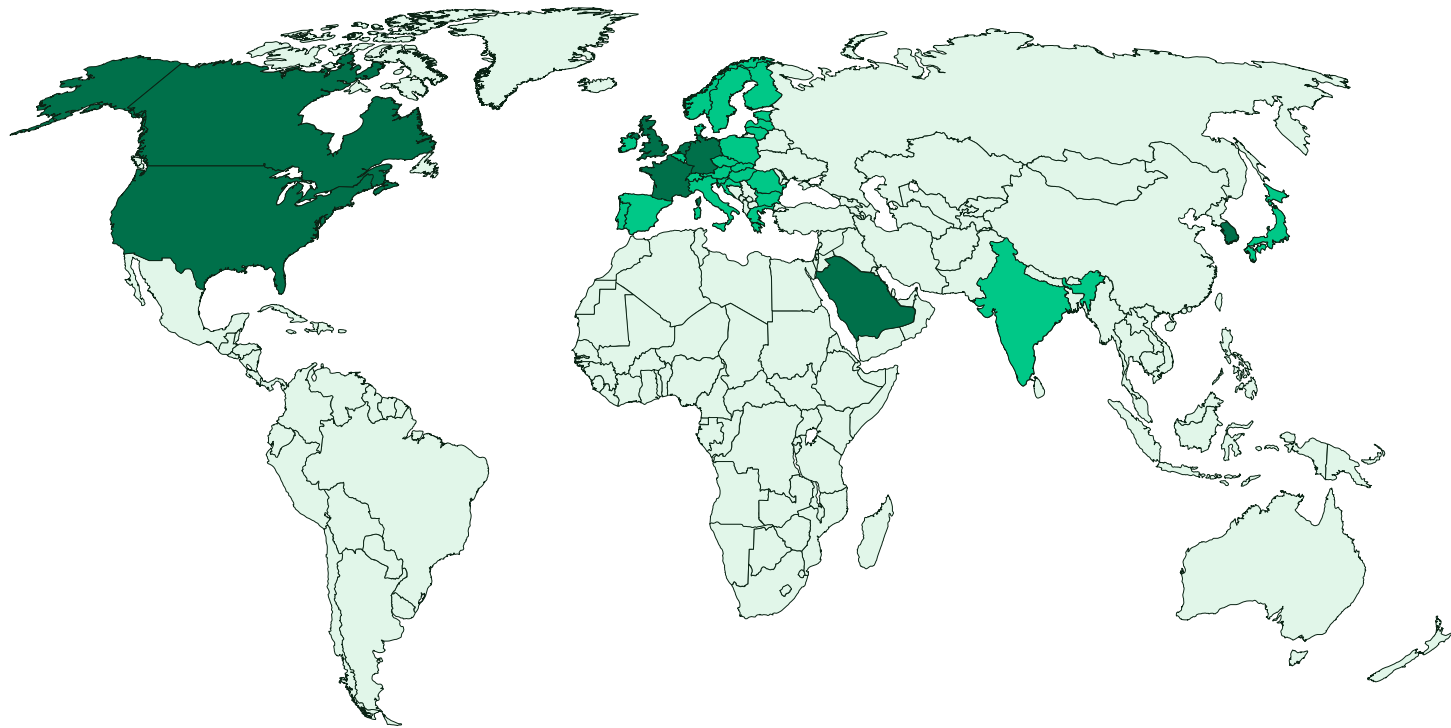


Benchmarking optimisation problems with neutral atoms

Constantin Dalyac, PhD



Pasqal in the world



Local team

Community (Cloud Hours & Services)

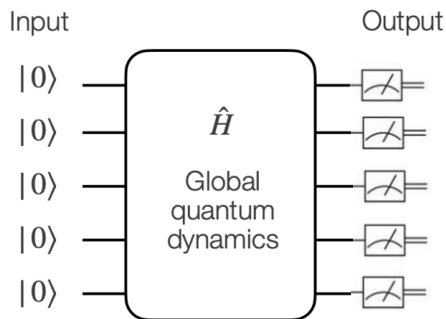
Neutral Atom QPUs



Analog Control

Programming a Hamiltonian sequence

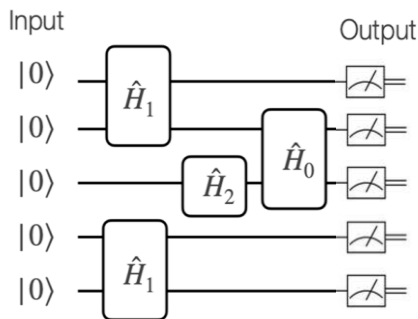
Parameters can be tuned continuously. The Hamiltonian faithfully describes the dynamics of a physical quantum system.



Gate-based Control

Programming a quantum circuit with digital quantum gates

Elementary operations are discrete digital quantum gates, that can act either on individual qubits, or on several qubits at the same time.



Pros

Naturally implemented in our platform: shine a Rydberg laser on atoms not too far away & voilà

Intrinsic high-fidelity

Fast: $\sim 1\mu\text{s}$!

Cons

Restrained: cannot do whatever calculation we want

Potentially harder to scale

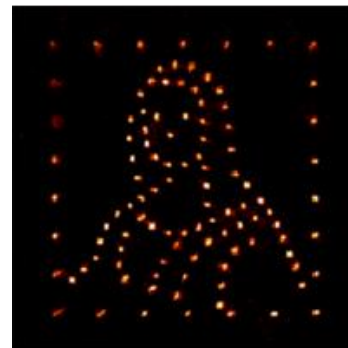
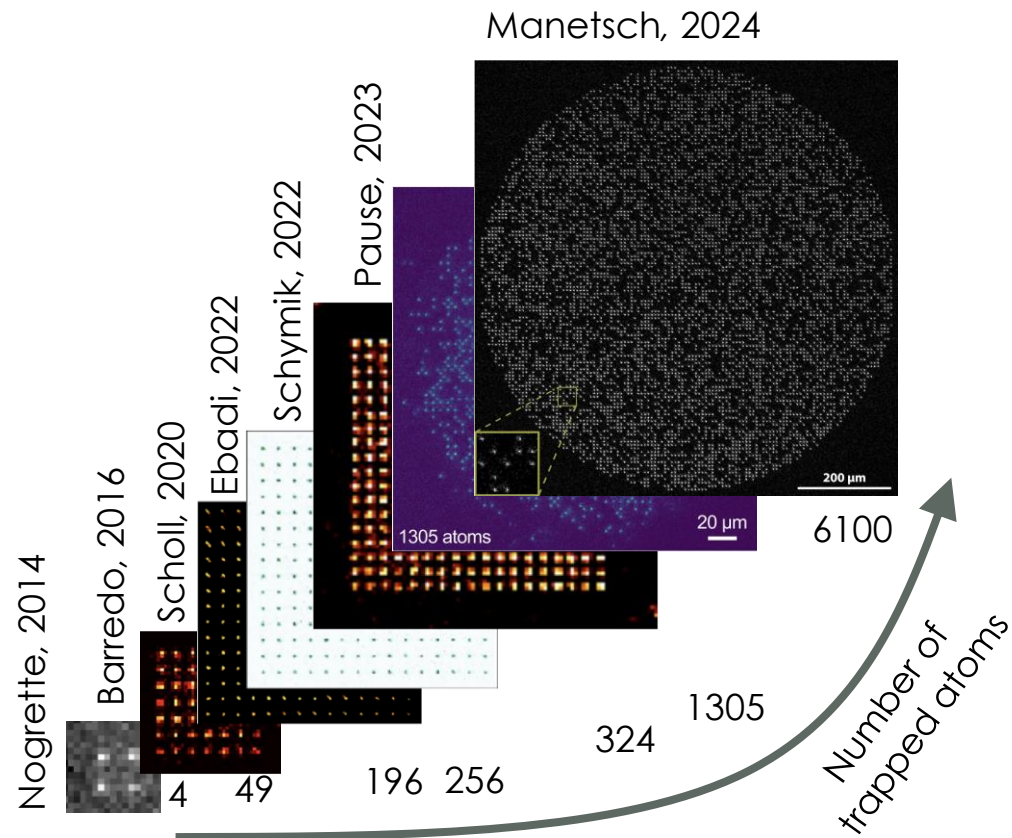
This is how a classical computer works

Clear path to perform quantum error correction

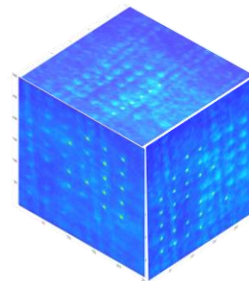
Far Far Away

More active control of what happens: **requires exquisite control**

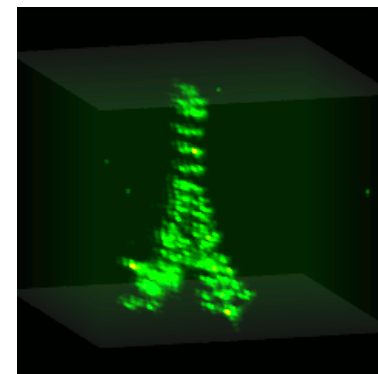
Scalability and arbitrary configuration



Schymik *et al*, 2020, PRA

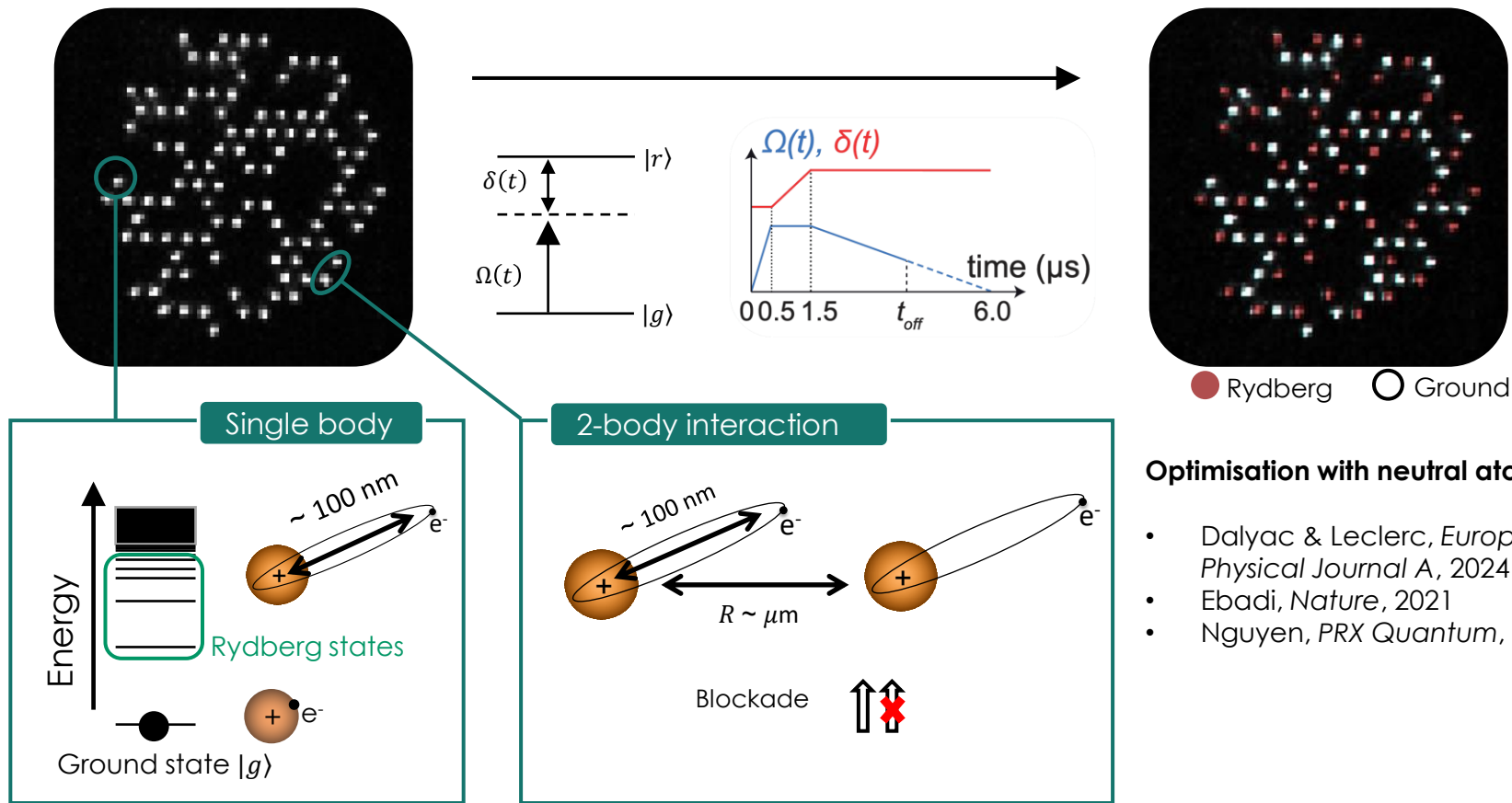


Dalyac *et al*, 2023, PRA



Barredo *et al*, 2018, Nature

Rydberg blockade for UD-MIS



03

Is UD-MIS (*really*) a hard problem?

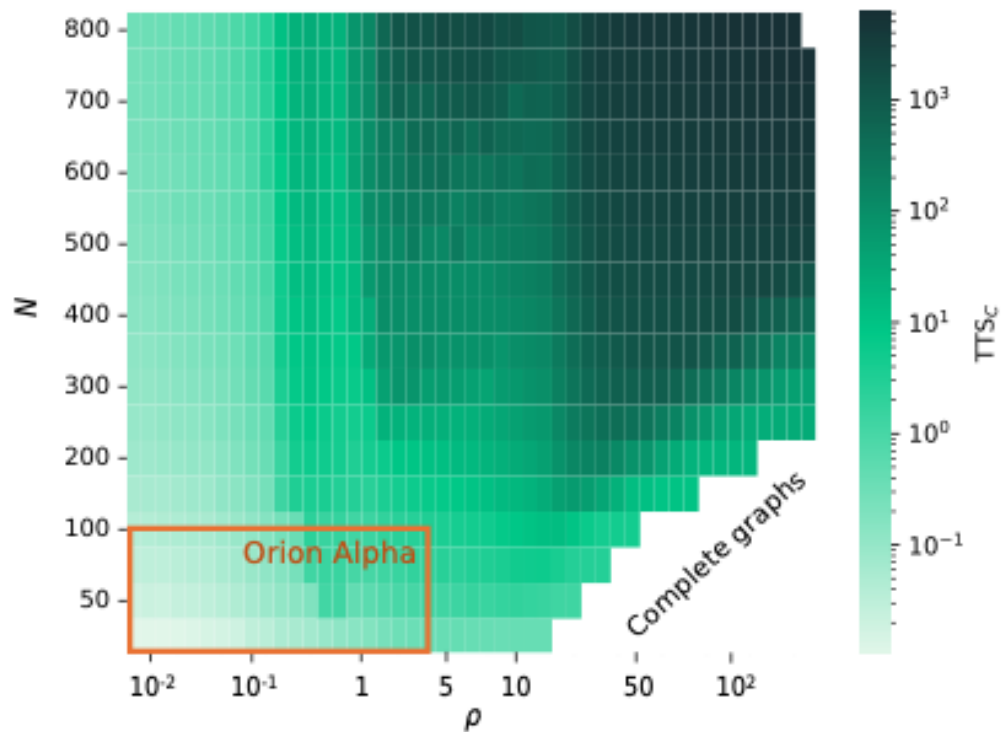
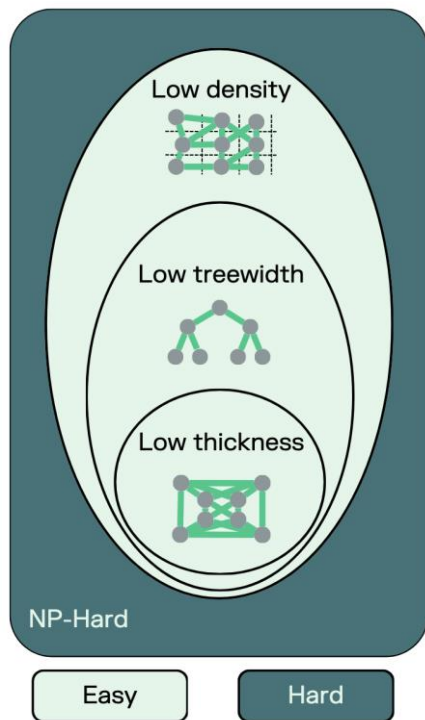
Identifying hard native instances for the maximum independent set problem on neutral atoms quantum processors
[arXiv:2502.04291](https://arxiv.org/abs/2502.04291)

MIS and classical state-of-the-art algorithms

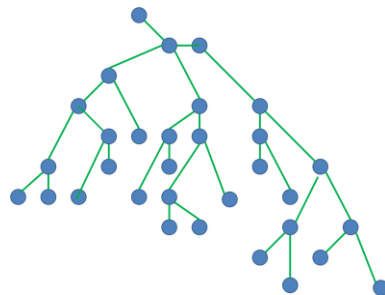
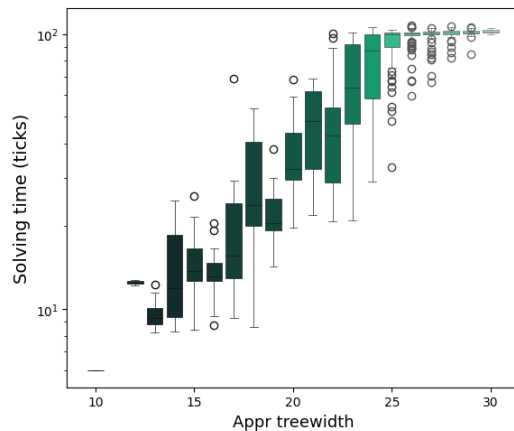
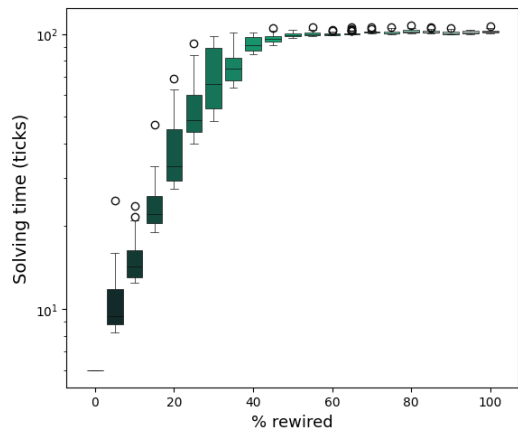
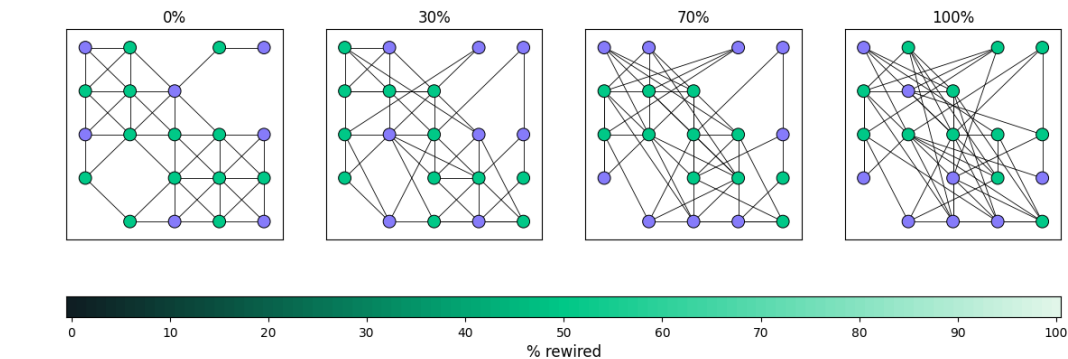


A classical solver's time-to-solution (TTS) when solving to optimality the Maximum Independent Set on Kings Lattice graphs of size 289, compared to the best performance of a neutral-atom QPU.

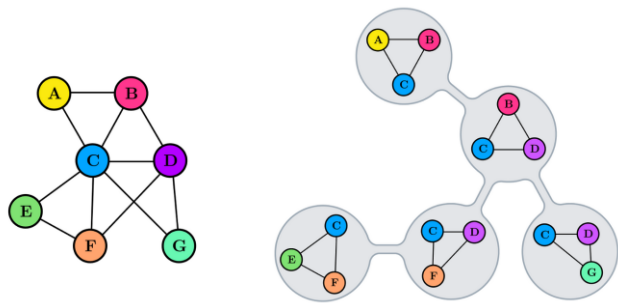
Finding hard native UD-MIS instances



The impact of treewidth



A tree



A tree decomposition

Quantum optimisation with arbitrary connectivity

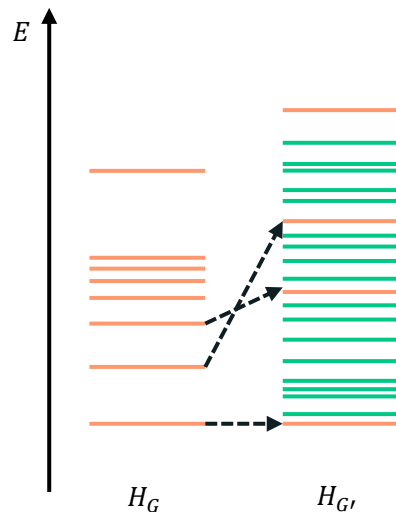
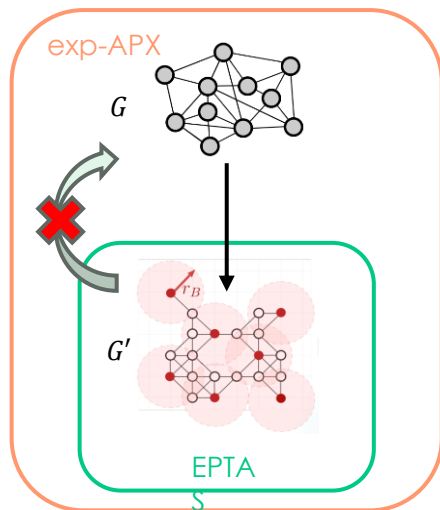
Approximations cannot be preserved

Recent methods [Nguyen23] have been proposed to encode any graph problem G with arbitrary connectivity into a unit-disk graph G' .

What happens when you get an approximate solution r ?

exp-APX: $r \simeq e^{-n}$

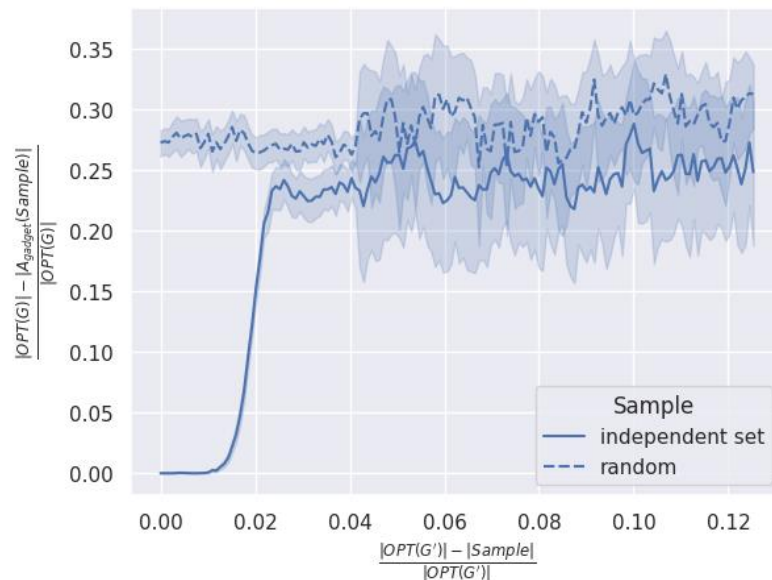
EPTAS: $\forall \varepsilon > 0, r = 1 - \varepsilon, \text{poly}(1/\varepsilon)$



Testing gadgets in practice

How do approximate solutions on the augmented graphs G' impact the quality of the generated solution on the original graphs G ?

G : Erdos-Renyi graph, $n=28, p=0.4$ G' : weighted UD graph, $n=3000$.

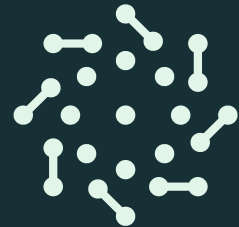


| Summary and conclusion

- ◉ Locality/ structure can be harnessed by classical methods to find optimal solutions in short times.
- ◉ Treewidth is a good proxy of hardness.
- ◉ Gadgets do not preserve approximations and hinder tackling general graphs.
- ◉ Scaling up to a **thousand** atoms with a **1 kHz** repetition rate is a necessary step toward demonstrating a computational advantage with quantum methods.

| Christmas photo





Pasqal